

Robot Dynamics

Organizers & Chairs: Roy Featherstone, David Orin

Robot Dynamics: Equations and Algorithms

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- Reviews accomplishments in robot dynamics research
- Equations given for most important computations
- Recursive Newton-Euler, Composite-Rigid-Body, and Articulated-Body Algorithms
- Closed-loop systems & global analysis techniques discussed

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for i = 1 to N do
  vi = iXN(i)M vN(i) + hi q̇i;
  ai = iXN(i)M aN(i) + ḧi q̇i + hi q̈i;
  fij = Ii ai + vi × Ii vi - fic
end
for i = N to 1 do
  τi = hiT fij;
  if λ(i) ≠ 0 then fN(i)j = fN(i)j + λ(i) XiT fij
end

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Practical Models for Practical Flexible Arms

W. J. Book¹ and K. Obergfell²

¹Georgia Institute of Technology and ²Seagate Technology

Computational Robot Dynamics Using Spatial Operators

A. Jain and G. Rodriguez

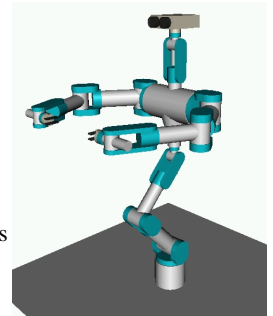
California Institute of Technology

- Computational dynamics techniques for robotic systems
- A review of the Spatial Operator Algebra framework
- A look at standard dynamics problems, as well as novel ones, eg. diagonalized dynamics
- Open areas of research such as sensitivity analysis and optimization

Operational Space Dynamics: Efficient Algorithms for Modeling and Control of Branching Mechanisms

Kyong-Sok Chang and Oussama Khatib
Stanford University

- Branching Mechanisms
- Task/Posture Behavior Control
- Modified Spatial Notation
- Efficient Recursive O(n) Algorithms



Forward Dynamics Algorithms for Multibody Chains and Contact

D. K. Pai, U. M. Ascher and P. G. Kry
University of British Columbia

- Framework for derivation of forward dynamics algorithms.
- Formulate augmented matrix; block matrix elimination.
- Derives many algorithms: existing (ABM, CRBM) & new (contact evolution). Stability.
- Framework unifies many forward dynamics algorithms and contact evolution.

$$\begin{pmatrix} I & M_1 & \times \\ \times & I & \times \\ \times & \times & I & M_2 \\ & \times & \times & I & \times \\ & \times & & \times & I & M_3 \\ & & & & \times & \times & I \end{pmatrix}$$

\Rightarrow

$$\begin{pmatrix} I & \bar{M}_1 & \times \\ I & \times & \times \\ & D_1 & \times \\ & I & \bar{M}_2 & \times \\ & \times & \times & I \\ & & \times & \times & I & \bar{M}_3 \\ & & & \times & \times & \times & I \\ & & & & D_2 & \times & \times & I \end{pmatrix}$$